Integers **Exercise 1B**

Solution 01

Answer:

- (i) $16 \times 9 = 144$
- (ii) $18 \times (-6) = -(18 \times 6) = -108$
- (iii) $36 \times (-11) = -(36 \times 11) = -396$
- (iv) $(-28) \times 14 = -(28 \times 14) = -392$
- (v) $(-53) \times 18 = -(53 \times 18) = -954$
- (vi) $(-35) \times 0 = 0$
- (vii) $0 \times (-23) = 0$
- (viii) $(-16) \times (-12) = 192$
- $(ix) (-105) \times (-8) = 840$
- $(x)(-36) \times (-50) = 1800$
- $(xi)(-28) \times (-1) = 28$
- (xii) $25 \times (-11) = -(25 \times 11) = -275$

Solution 02

Answer:

- (i) $3 \times 4 \times (-5) = (12) \times (-5) = -60$
- (ii) $2 \times (-5) \times (-6) = (-10) \times (-6) = 60$
- (iii) $(-5) \times (-8) \times (-3) = (-5) \times (24) = -120$
- (iv) $(-6) \times 6 \times (-10) = 6 \times (60) = 360$
- (v) $7 \times (-8) \times 3 = 21 \times (-8) = -168$
- (vi) $(-7) \times (-3) \times 4 = 21 \times 4 = 84$

Solution 03

- (i) Since the number of negative integers in the product is even, the product will be positive. $(4) \times (5) \times (8) \times (10) = 1600$
- (ii) Since the number of negative integers in the product is odd, the product will be negative. $-(6) \times (5) \times (7) \times (2) \times (3) = -1260$
- (iii) Since the number of negative integers in the product is even, the product will be positive. $(60) \times (10) \times (5) \times (1) = 3000$
- (iv) Since the number of negative integers in the product is odd, the product will be negative. $-(30) \times (20) \times (5) = -3000$
- (v) Since the number of negative integers in the product is even, the product will be positive. $(-3)^6 = 729$
- (vi) Since the number of negative integers in the product is odd, the product will be negative. $(-5)^5 = -3125$
- (vii) Since the number of negative integers in the product is even, the product will be positive. $(-1)^{200} = 1$
- (viii) Since the number of negative integers in the product is odd, the product will be negative. $(-1)^{171} = -1$

Solution 04

Answer:

Multiplying 90 negative integers will yield a positive sign as the number of integers is even.

Multiplying any two or more positive integers always gives a positive integer.

The product of both(the above two cases) the positive and negative integers is also positive.

Therefore, the final product will have a positive sign.

Solution 05

-ger Multiplying 103 negative integers will yield a negative integer, whereas 65 positive integers will give a positive integer.

The product of a negative integer and a positive integer is a negative integer

Solution 06

Answer:

- (i) $(-8) \times (9 + 7)$ [using the distributive law] $= (-8) \times 16 = -128$
- (ii) $9 \times (-13 + (-7))$ [using the distributive law] $= 9 \times (-20) = -180$
- (iii) $20 \times (-16 + 14)$ [using the distributive law] $= 20 \times (-2) = -40$
- (iv) $(-16) \times (-15 + (-5))$ [using the distributive law $= (-16) \times (-20) = 320$
- (v) $(-11) \times (-15 + (-25))$ [using the distributive law] $= (-11) \times (-40)$ = 440
- (vi) $(-12) \times (10 + 5)$ [using the distributive law] $= (-12) \times 15 = -180$
- (vii) $(-16 + (-4)) \times (-8)$ [using the distributive law] $= (-20) \times (-8) = 160$
- (viii) $(-26) \times (72 + 28)$ [using the distributive law] $= (-26) \times 100 = -2600$

Solution 07

Answer:

(i)
$$(-6) \times (x) = 6$$

 $x = 6-6 = -66 = -1$

Thus, x = (-1)

- (ii) 1 [∵ Multiplicative identity]
- (iii) (-8) [∵ Commutative law]
- [: Commutative law] (iv) 7
- (v) (-5) [∵ Associative law]
- (vi) 0 [∵ Property of zero]

Solution 08

Answer:

We have 5 marks for correct answer and (-2) marks for an incorrect answer.

Now, we have the following:

- (i) Ravi's score = $4 \times 5 + 6 \times (-2)$
- = 20 + (-12) =8
- (ii) Reenu's score = $5 \times 5 + 5 \times (-2)$
- = 25 10 = 15
- (iii) Heena's score = $2 \times 5 + 5 \times (-2)$
- = 10 10 = 0

Solution 09

Answer:

- (i) True.
- (ii) False. Since the number of negative signs is even, the product will be a positive integer.
- (iii) True. The number of negative signs is odd.
- (iv) False. $a \times (-1) = -a$, which is not the multiplicative inverse of a
- (v) True. $a \times b = b \times a$
- (vi) True. $(a \times b) \times c = a \times (b \times c)$
- plicative inve (vii) False. Every non-zero integer a has a multiplicative inverse 1a, which is not an integer.