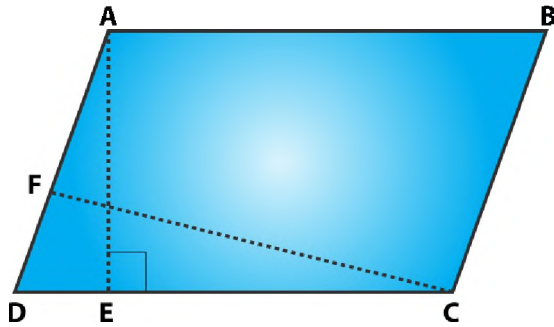


Solutions for Class 9 Maths Chapter 15 Area of Parallelogram and Triangles

Exercise 15.2

Question 1: If figure, ABCD is a parallelogram, $AE \perp DC$ and $CF \perp AD$. If $AB = 16$ cm, $AE = 8$ cm and $CF = 10$ cm, find AD .



Solution:

In parallelogram ABCD, $AB = 16$ cm, $AE = 8$ cm and $CF = 10$ cm

Since, opposite sides of a parallelogram are equal, then

$$AB = CD = 16 \text{ cm}$$

We know, Area of parallelogram = Base \times Corresponding height

Area of parallelogram ABCD:

$$CD \times AE = AD \times CF$$

$$16 \times 8 = AD \times 10$$

$$AD = 12.8$$

Measure of $AD = 12.8$ cm

Question 2: In Q.No. 1, if $AD = 6$ cm, $CF = 10$ cm and $AE = 8$ cm, find AB .

Solution: Area of a parallelogram ABCD:

Solutions for Class 9 Maths Chapter 15 Area of Parallelogram and Triangles

From figure:

$$AD \times CF = CD \times AE$$

$$6 \times 10 = CD \times 8$$

$$CD = 7.5$$

Since, opposite sides of a parallelogram are equal.

$$\Rightarrow AB = DC = 7.5 \text{ cm}$$

Question 3: Let ABCD be a parallelogram of area 124 cm^2 . If E and F are the mid-points of sides AB and CD respectively, then find the area of parallelogram AEFD.

Solution:

ABCD be a parallelogram.

$$\text{Area of parallelogram} = 124 \text{ cm}^2 \quad (\text{Given})$$

Consider a point P and join AP which is perpendicular to DC.

$$\text{Now, Area of parallelogram EBCF} = FC \times AP \text{ and}$$

$$\text{Area of parallelogram AFED} = DF \times AP$$

Since F is the mid-point of DC, so $DF = FC$

From above results, we have

$$\text{Area of parallelogram AEFD} = \text{Area of parallelogram EBCF} = \frac{1}{2} (\text{Area of parallelogram ABCD})$$

$$= 124/2$$

$$= 62$$

Area of parallelogram AEFD is 62 cm^2 .

Question 4: If ABCD is a parallelogram, then prove that

$$\text{ar}(\Delta ABD) = \text{ar}(\Delta BCD) = \text{ar}(\Delta ABC) = \text{ar}(\Delta ACD) = \frac{1}{2} \text{ar}(\text{||}^{\text{gm}} \text{ABCD})$$

Solution:

ABCD is a parallelogram.

Solutions for Class 9 Maths Chapter 15 Area of Parallelogram and Triangles

When we join the diagonal of parallelogram, it divides it into two quadrilaterals.

Step 1: Let AC is the diagonal, then, $\text{Area}(\triangle ABC) = \text{Area}(\triangle ACD) = \frac{1}{2}(\text{Area of } \parallel^{\text{gm}} \text{ABCD})$

Step 2: Let BD be another diagonal

$\text{Area}(\triangle ABD) = \text{Area}(\triangle BCD) = \frac{1}{2}(\text{Area of } \parallel^{\text{gm}} \text{ABCD})$

Now,

From Step 1 and step 2, we have

$\text{Area}(\triangle ABC) = \text{Area}(\triangle ACD) = \text{Area}(\triangle ABD) = \text{Area}(\triangle BCD) = \frac{1}{2}(\text{Area of } \parallel^{\text{gm}} \text{ABCD})$

Hence Proved.